## SECOND TERM WEEKLY LESSON NOTES

## WEEK 5

| Date: 10 <sup>th</sup> JUNE, 2022  |   | Period:   |  | Subject: Mathematics   |                   |
|--|---|---|--|--|-------------------|
| Duration:  |   |   |  | Strand: Algebra  |                   |
| Class: B7  | Class Size:   |   |  | Sub Strand: Algebraic Expressions  |                   |
| <b>Content Standard:</b><br>B7.2.2.1 Simplify algebraic expressions involving the four basic operations and substituting values to evaluate algebraic expressions. |   | ivolving the<br>lues to   | Indicator:<br>B7.2.2.1.1 C<br>expressions<br>translate a s<br>an algebraic   | reate simple algebraic<br>using simple logic to<br>et of instructions into<br>expression.          | Lesson:<br>I of 2 |
| <b>Performance Indicator:</b><br>Learners can identify the unknown in a problem; repre-<br>problem with an equation; and solve the problem con                     |   | esent the<br>cretely  | Core Competencies:<br>Communication and Critical Thinking and                | Collaboration (CC)<br>Problem solving (CP)   |                   |
| <b>References:</b> Mathematics   | Curriculur  | n Pg. 35-36   |  |  |                   |
|  |   | A   |  |  |                   |
| Phase/Duration   | Learners  | Activities  |  |  | Resources         |
| PHASE I: <b>STARTER</b>  | Using que<br>learners a<br>Share lea  | estions and ar<br>already know<br>rning indicato  | nswers, revie<br>about Algeb<br>ors and intro                                | ew to find out what<br>oraic Expressions.<br>duce the lesson.                                      |                   |
| PHASE 2: <b>NEW</b><br><b>LEARNING</b>   | Brainstorm learners for the meaning of Algebra<br>Algebra is a way to work out problems with unknown<br>values.Counters, bundle<br>and loose straws<br>base ten cut squa<br>Bundle of sticksLook at this question 5 + ? = 8 |   |  | Counters, bundle<br>and loose straws<br>base ten cut square,<br>Bundle of sticks                   |                   |
|  | We already know the answer, but only know one part of<br>the question, the other is unknown.<br>We are already used to "blank boxes" and "dashes" for   |   |  |  |                   |
|  | representing the unknown number.<br>But in Algebra, it is replaced with a variable such as (a, b,<br>c, x, y etc.)<br>Hence this how the question will be written<br>5 + a = 8  |   |  |  |                   |
|  | We call t<br>question<br>between.   | his an Equatic<br>which involve   | on. Equation<br>es two parts   | is a mathematical<br>with an equal sign in   |                   |
|  | Let's see<br>E.g. A farm<br>them when<br>On a partic<br>left on the   | how we can<br>her cultivates ap<br>they ripped for<br>cular tree, he plu<br>tree. So how mo | solve proble<br>ples on a large<br>sale.<br>ucked 15 rippe<br>any apples wer | ms using Algebra.<br>scale of land. He plucks<br>d apples and 8 apples wer<br>e there on the tree? | e                 |

|                        | Let's use the letter "a" to represent the total number of apples on the tree.<br>Thus $a - 15 = 8$   |  |
|------------------------|--|--|
|                        | (a-15) is on one side of the equal sign and the other side<br>8 as the answer.<br>To work out for "a", we need to isolate "a", so that is on<br>its own. |  |
|                        | Have learners to get rid of the (-15). So we add the inverse of (-15), that is (+15) to both side of the equation.                                       |  |
|                        | a-15+15=8+15   |  |
|                        | a-1/5+1/5=8+15   |  |
|                        | a=8+15   |  |
|                        | a= 23  |  |
|                        | Have learners to conclude that the total number of apples<br>on the tree was 23. So if the farmer pluck 15, it will be<br>left with 8.                   |  |
|                        | Guide learners to solve for x in simple equations<br>e.g. x + 3 = 6<br>x + 1+5 = 7   |  |
|                        | <b>Assessment</b> : Give similar problems for learners to write the mathematical equation statements of the problem                                      |  |
| PHASE 3:<br>REFLECTION | Use peer discussion and effective questioning to find out<br>from learners what they have learnt during the lesson.                                      |  |
|                        | Take feedback from learners and summarize the lesson.  |  |

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| Duration:  |             | Strand: Algebra   |                                   |                   |
| Class: B7  | Class Size: |   | Sub Strand: Algebraic Expressions |                   |
| <b>Content Standard:</b><br>B7.2.2.1 Simplify algebraic expressions involving the<br>four basic operations and substituting values to<br>evaluate algebraic expressions. |             | Indicator:B7.2.2.1.1 Create simple algebraicexpressions using simple logic totranslate a set of instructions intoan algebraic expression. |                                   | Lesson:<br>I of 2 |
| <b>Performance Indicator:</b><br>Learners can create a problem for a give  |             | <b>Core Competencies:</b><br>Communication and Collaboration (CC)<br>Critical Thinking and Problem solving (CP)                           |                                   |                   |
| <b>References:</b> Mathematics Curriculur  | n Pg. 35-36 |   |                                   |                   |

| Phase/Duration   | Learners Activities   | Resources         |
|------------------|---|-------------------|
| PHASE I: STARTER | Revise with learners on the previous lesson.                |                   |
|                  | Call volunteer learners to the board to solve sample        |                   |
|                  | questions.  |                   |
|                  |   |                   |
|                  | Introduce the lesson by sharing performance indicators.     |                   |
| PHASE 2: NEW     | Guide learners to create word problems for equations.       | Counters, bundle  |
| LEARINING        | e.g. Jenny has 7 marbles and ken has 5. How many do         | and loose straws  |
|                  | they have together:   | Bundle of sticks  |
|                  | The quantities here are lenny's marbles, ken's marbles      | Duridie of Sticks |
|                  | and total marbles. The relationship between the three is    |                   |
|                  | lanni's Marklas + Kari's Marklas = Total Marklas            |                   |
|                  | Jenny's Marbles + Ken's Marbles - Total Marbles             |                   |
|                  | / + 5 =   |                   |
|                  | Let learners solve several examples.                        |                   |
|                  | Let learners now consider this problem:                     |                   |
|                  | e.g. lenny and Ken together have 37 marbles, and ken has    |                   |
|                  | 15. How many does jenny have?                               |                   |
|                  | , , ,   |                   |
|                  | The relationship between the quantities is the same as the  |                   |
|                  | above.  |                   |
|                  | Jenny's Marbles + Ken's Marbles = Total Marbles             |                   |
|                  | + 15 = 37   |                   |
|                  |   |                   |
|                  | The problem requires we find Jenny's marbles which we don't |                   |
|                  | know.   |                   |
|                  | so we represent Jenny's marbles as a                        |                   |
|                  | a + 15 = 37   |                   |
|                  | Guide learners to solve the equation                        |                   |
|                  |   |                   |

|                        | Introduce learners to more complex word problems. Consider<br>this example:<br>Example: Peny, Keny And Peny together have 51 marbles. Keny has<br>double as many marbles as Jenny has, and Peny has 12. How many<br>does Jenny have?<br>The relationship between the quantities is the same as the<br>above. However we need to denote the number of Jeny's and<br>Keny's marbles with something. Jenny's marbles are unknown,<br>so we can denote that with the variable "n". then Keny has 2n<br>marbles.<br>Jenny's Ken's + Peny's = Total<br>Marbles * Marbles * marbles = Marbles<br>n + 2n + 12 = 51<br>Guide learners to solve the equation.<br>Ask learners to describe stories that the equation $14 - x = 9$<br>could represent.<br>That is: henry has 14 oranges in his bag. He gave some of the<br>oranges to his friends. He now has 9 oranges left. How many<br>oranges did he give to his friends?<br>Let learners describe stories to represent the following<br>equations.<br>a. $1+15=9+x$<br>b. $8+x=3+12$<br>c. $4+5=11-x$<br>d. $3+x=13-2$<br>Assessment<br>Solve the puzzle<br>$\begin{array}{cccccccccccccccccccccccccccccccccccc$ |
|------------------------|---|
| PHASE 3:<br>REFLECTION | Use peer discussion and effective questioning to find out<br>from learners what they have learnt during the lesson.<br>Take feedback from learners and summarize the lesson.  |
|                        | Take feedback from learners and summarize the lesson.   |